

# Financial Frictions for Macro-Finance

Arvind Krishnamurthy, Northwestern University and NBER

May 2014

# Outline

- 1 Why are we interested in financial frictions?  
Why study the financial intermediary sector?
- 2 Intellectual history: Amplification and persistence (Bernanke-Gertler, Kiyotaki-Moore)
- 3 Recent work: **He-Krishnamurthy**, Brunnermeier-Sannikov, Adrian-Boyarchenko, Maggiori, DiTella, Gertler-Kiyotaki, Rampini-Viswanathan
- 4 Open questions

## Financial Sector Losses

- Subprime losses  $\approx$  \$500 billion
- 2% fall in stock market

## Financial Sector Losses

- Subprime losses  $\approx$  \$500 billion
- 2% fall in stock market
- Wealth losses due to real estate decline = \$7 trillion
- Dot-com bust 2000 to 2002 = \$8 trillion loss of wealth

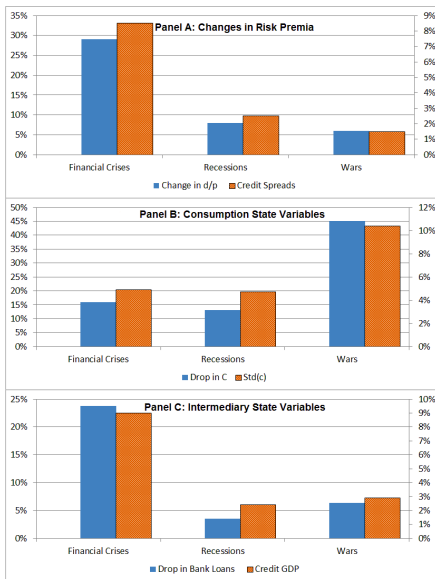
## Financial Sector Losses

- Subprime losses  $\approx$  \$500 billion
- 2% fall in stock market
- Wealth losses due to real estate decline = \$7 trillion
- Dot-com bust 2000 to 2002 = \$8 trillion loss of wealth

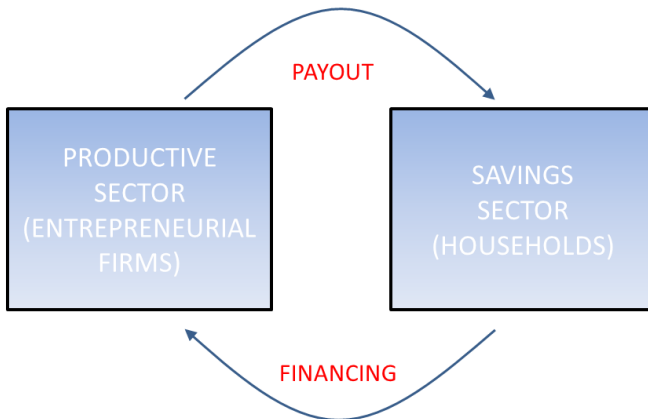
Who bears the losses is critical.

- Not representative agent. Distribution/heterogeneity matters.
- *How do shocks affect the distribution of wealth across the economy?*

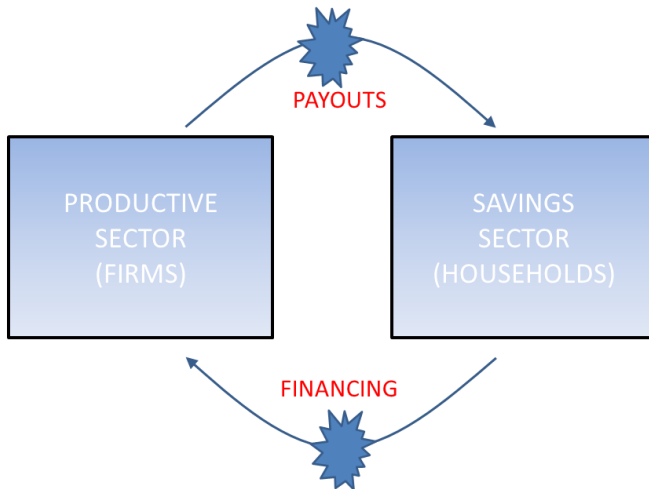
# Aggregate Shocks and Risk Premia (Muir, 2014)



# Modeling Financial Frictions in Macroeconomics

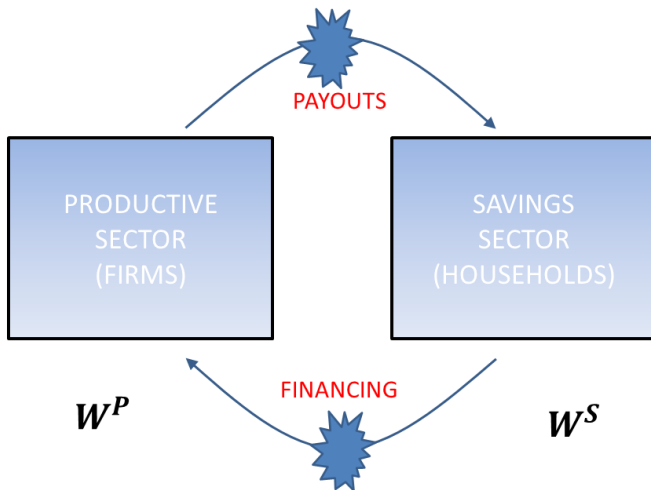


## Financial Friction limits Flow of Funds





# Wealth Distribution



- TFP shocks affect wealth distribution,  $(W_t^P, W_t^S)$

$$\begin{aligned}W_{t+1}^P &= W_t^P + \overbrace{\Pi_t}^{\text{profits}} \\W_{t+1}^S &= W_t^S(1 + r_t)\end{aligned}$$

- Positive TFP shock increases profits  $\Pi_t$ ,  $W_{t+1}^P$
- Investment at  $t + 1$  closer to first best as wealth shifts towards  $W_{t+1}^P$
- Output and  $\Pi_{t+1}$  at  $t + 1$  rise

- TFP shocks affect wealth distribution,  $(W_t^P, W_t^S)$

$$\begin{aligned}W_{t+1}^P &= W_t^P + \overbrace{\Pi_t}^{\text{profits}} \\W_{t+1}^S &= W_t^S(1 + r_t)\end{aligned}$$

- Positive TFP shock increases profits  $\Pi_t$ ,  $W_{t+1}^P$
- Investment at  $t + 1$  closer to first best as wealth shifts towards  $W_{t+1}^P$
- Output and  $\Pi_{t+1}$  at  $t + 1$  rise
- “Financial Accelerator”**: Profits  $\Pi_{t+1}$  rise, increase wealth  $W_{t+1}^P$ , profits  $\Pi_{t+2}$ ...

- TFP shocks affect wealth distribution,  $(W_t^P, W_t^S)$

$$\begin{aligned}W_{t+1}^P &= W_t^P + \overbrace{\Pi_t}^{\text{profits}} \\W_{t+1}^S &= W_t^S(1 + r_t)\end{aligned}$$

- Positive TFP shock increases profits  $\Pi_t$ ,  $W_{t+1}^P$
- Investment at  $t + 1$  closer to first best as wealth shifts towards  $W_{t+1}^P$
- Output and  $\Pi_{t+1}$  at  $t + 1$  rise
- “Financial Accelerator”**: Profits  $\Pi_{t+1}$  rise, increase wealth  $W_{t+1}^P$ , profits  $\Pi_{t+2}$ ...
- Credit boom
- Slow recovery, long slump (US 2009-, Japan lost decade)

## Amplification: Kiyotaki-Moore (1997)

- $W_t^P$  is a portfolio that includes long-lived assets (physical capital)
- Value of long-lived assets:

$$V_t = \sum_{s=t}^{\infty} R^{s-t} \pi_s$$

## Amplification: Kiyotaki-Moore (1997)

- $W_t^P$  is a portfolio that includes long-lived assets (physical capital)
- Value of long-lived assets:

$$V_t = \sum_{s=t}^{\infty} R^{s-t} \Pi_s$$

- **Dynamic amplification:** time  $t$  TFP shock causes persistent changes in  $\Pi_s$ , implying large valuation effect at  $t$
- TFP shock amplified as a shock to  $W_t^P$  through change in asset values

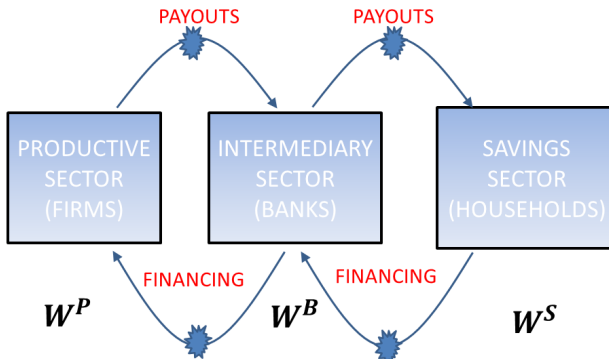
## Amplification: Kiyotaki-Moore (1997)

- $W_t^P$  is a portfolio that includes long-lived assets (physical capital)
- Value of long-lived assets:

$$V_t = \sum_{s=t}^{\infty} R^{s-t} \Pi_s$$

- **Dynamic amplification:** time  $t$  TFP shock causes persistent changes in  $\Pi_s$ , implying large valuation effect at  $t$
- TFP shock amplified as a shock to  $W_t^P$  through change in asset values
- “Pebble that started the avalanche”: small shock/large effect
- Real estate and 2007-2009 financial crisis

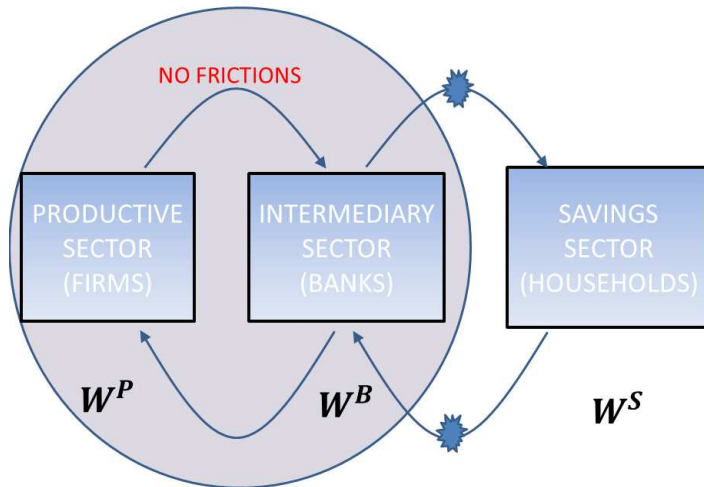
## Intermediaries Matter



- “Triple-decker models”: Holmstrom-Tirole (1997), Rampini-Viswanathan (2013)
- Large empirical literature on banking channel: Bernanke (1983), Kashyap-Stein (1994), Peek-Rosengren (2000), Khwaja-Mian (2008), Schnabl (2011), Becker-Ivashina (2013), Chodorow-Reich (2013), Hilt-Frydman-Zhou (2013)



# Intermediary-Firm Coalition



## Finance: Discount Rate Variation

- Kiyotaki-Moore: Volatility due to cash flow variation

$$V_t = \sum_{s=t}^{\infty} R^{s-t} \Pi_s$$

- Finance perspective:  $R$  variation more important than  $\Pi$  variation in asset pricing.

## Finance: Discount Rate Variation

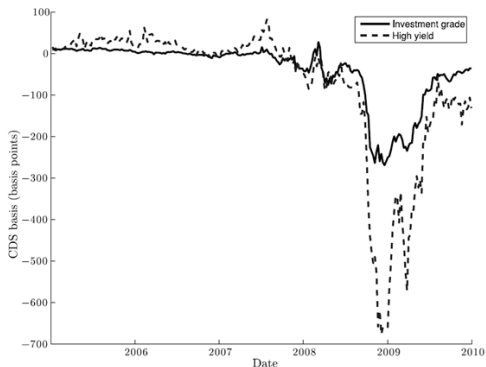
- Kiyotaki-Moore: Volatility due to cash flow variation

$$V_t = \sum_{s=t}^{\infty} R^{s-t} \Pi_s$$

- Finance perspective:  $R$  variation more important than  $\Pi$  variation in asset pricing.
- Wealth distribution and asset prices:

$W_t^B$  particularly important for “intermediated” assets

# Intermediary Capital: CDS-Bond Basis



**Figure 4.** The corporate-bond CDS basis, the difference between the CDS rate and the associated par bond yield spread, is theoretically near zero in frictionless markets. As shown, the average CDS basis across portfolios of U.S. investment-grade bonds and high-yield bonds widened dramatically during the financial crisis and then narrowed as the crisis subsided. The underlying data, kindly provided to the author by Mark Mitchell and Todd Pulvino, cover an average of 484 investment-grades issuers per week and 208 high-yield issuers per week. For additional details, see Mitchell and Pulvino (2010).

From: Duffie, AFA Presidential Address 2010

# Fire-sales: CIP Deviations

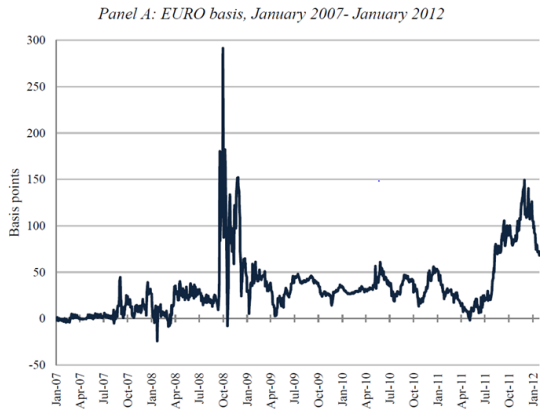


Figure 3 from Ivashina, Scharfstein and Stein (2012)

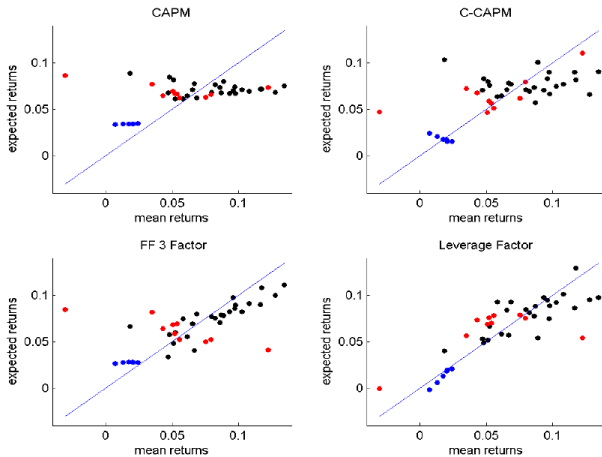
## Intermediary Pricing Kernel

- Adrian, Etula, and Muir (JF 2012), Broker-Dealer Leverage to measure an intermediary pricing kernel (rough proxy for  $W_t^B$ )

$$\text{B/D leverage} = \frac{\text{Assets of B/D sector}}{\text{Assets} - \text{Liabilities}}$$

- From Federal Reserve Flow of Funds: Book values for many things, slow updating (can surely do better!)

# Intermediary Pricing Kernel



Black = FF25, Red = 10momentum, Blue = 6 Bonds

## Risk Premia in Stochastic Models

He-Krishnamurthy, Brunnermeier-Sannikov, Adrian-Boyarchenko, Maggiori, DiTella

- 1 Bernanke-Gertler, Kiyotaki-Moore linearize around deterministic steady state; agents are locally risk-neutral
  - ▶ No possibility for  $R$  variation
  - ▶ ... leaves out potentially powerful amplifier through changes in risk-premia



## Risk Premia in Stochastic Models

He-Krishnamurthy, Brunnermeier-Sannikov, Adrian-Boyarchenko, Maggiori, DiTella

- 1 Bernanke-Gertler, Kiyotaki-Moore linearize around deterministic steady state; agents are locally risk-neutral
  - ▶ No possibility for  $R$  variation
  - ▶ ... leaves out potentially powerful amplifier through changes in risk-premia
- 2 Linearization means amplification is constant
  - ▶ Conditional amplification: Lehman shock versus Bear shock
  - ▶ Amplification a non-linear function of underlying state variable
  - ▶ Transition from "normal" to "crisis"

## Risk Premia in Stochastic Models

He-Krishnamurthy, Brunnermeier-Sannikov, Adrian-Boyarchenko, Maggiori, DiTella

- 1 Bernanke-Gertler, Kiyotaki-Moore linearize around deterministic steady state; agents are locally risk-neutral
  - ▶ No possibility for  $R$  variation
  - ▶ ... leaves out potentially powerful amplifier through changes in risk-premia
- 2 Linearization means amplification is constant
  - ▶ Conditional amplification: Lehman shock versus Bear shock
  - ▶ Amplification a non-linear function of underlying state variable
  - ▶ Transition from "normal" to "crisis"

## He-Krishnamurthy (2013)

- Two classes of agents: households and bankers

- ▶ Households:

$$\mathbb{E} \left[ \int_0^{\infty} e^{-\rho t} \frac{1}{1-\gamma} C_t^{1-\gamma} dt \right], \quad C_t = (c_t^y)^{1-\phi} (c_t^h)^{\phi}$$

- Two types of capital: productive capital  $K_t$  and housing capital  $H$ .
  - ▶ Fixed supply of housing  $H \equiv 1$
  - ▶ Price of capital  $q_t$  and price of housing  $P_t$  determined in equilibrium

## He-Krishnamurthy (2013)

- Two classes of agents: households and bankers

- ▶ Households:

$$\mathbb{E} \left[ \int_0^{\infty} e^{-\rho t} \frac{1}{1-\gamma} C_t^{1-\gamma} dt \right], \quad C_t = (c_t^y)^{1-\phi} (c_t^h)^{\phi}$$

- Two types of capital: productive capital  $K_t$  and housing capital  $H$ .
  - ▶ Fixed supply of housing  $H \equiv 1$
  - ▶ Price of capital  $q_t$  and price of housing  $P_t$  determined in equilibrium
- Production  $Y = AK_t$ , with  $A$  being constant
- Fundamental shocks: stochastic capital quality shock  $dZ_t$ . TFP shocks

$$\frac{dK_t}{K_t} = i_t dt - \delta dt + \sigma dZ_t$$

## He-Krishnamurthy (2013)

- Two classes of agents: households and bankers

- ▶ Households:

$$\mathbb{E} \left[ \int_0^{\infty} e^{-\rho t} \frac{1}{1-\gamma} C_t^{1-\gamma} dt \right], \quad C_t = (c_t^y)^{1-\phi} (c_t^h)^{\phi}$$

- Two types of capital: productive capital  $K_t$  and housing capital  $H$ .
  - ▶ Fixed supply of housing  $H \equiv 1$
  - ▶ Price of capital  $q_t$  and price of housing  $P_t$  determined in equilibrium
- Production  $Y = AK_t$ , with  $A$  being constant
- Fundamental shocks: stochastic capital quality shock  $dZ_t$ . TFP shocks

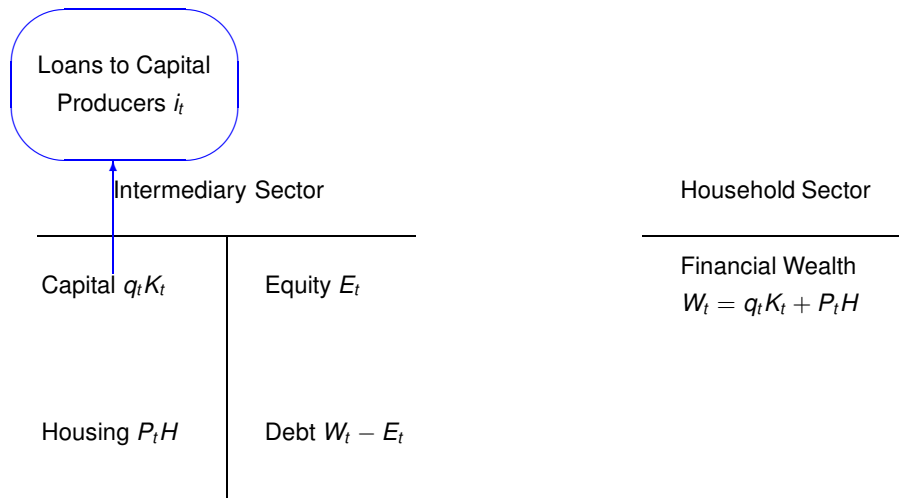
$$\frac{dK_t}{K_t} = i_t dt - \delta dt + \sigma dZ_t$$

- Investment/Capital  $i_t$ , quadratic adjustment cost

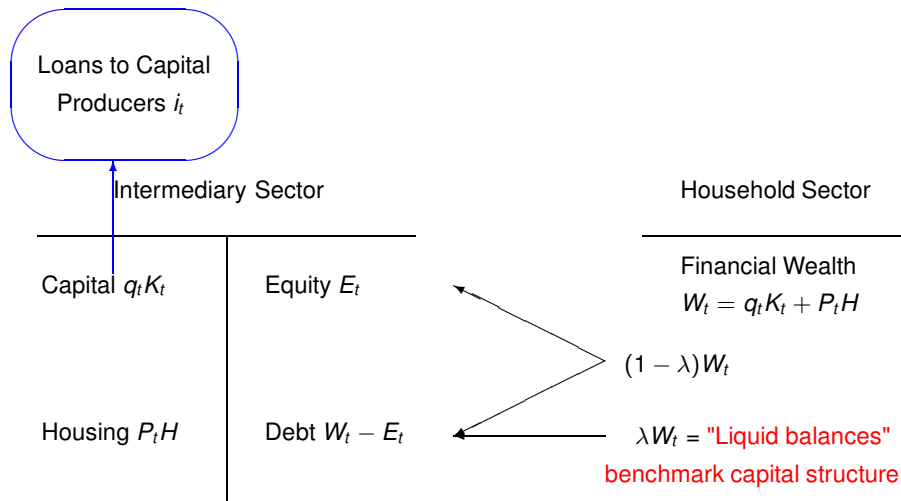
$$\Phi(i_t, K_t) = i_t K_t + \frac{\kappa}{2} (i_t - \delta)^2 K_t$$

$$\max_{i_t} q_t i_t K_t - \Phi(i_t, K_t) \Rightarrow i_t = \delta + \frac{q_t - 1}{\kappa}$$

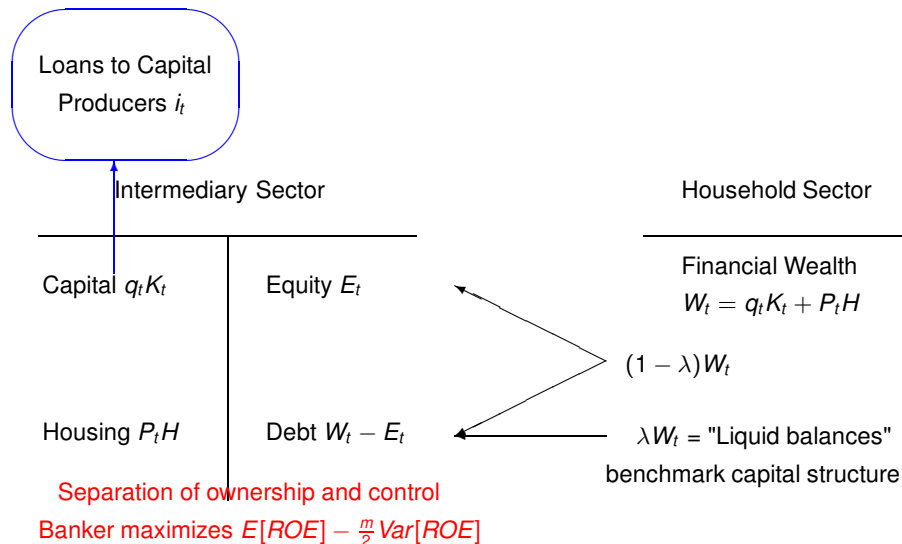
# Aggregate Balance Sheet



# Aggregate Balance Sheet

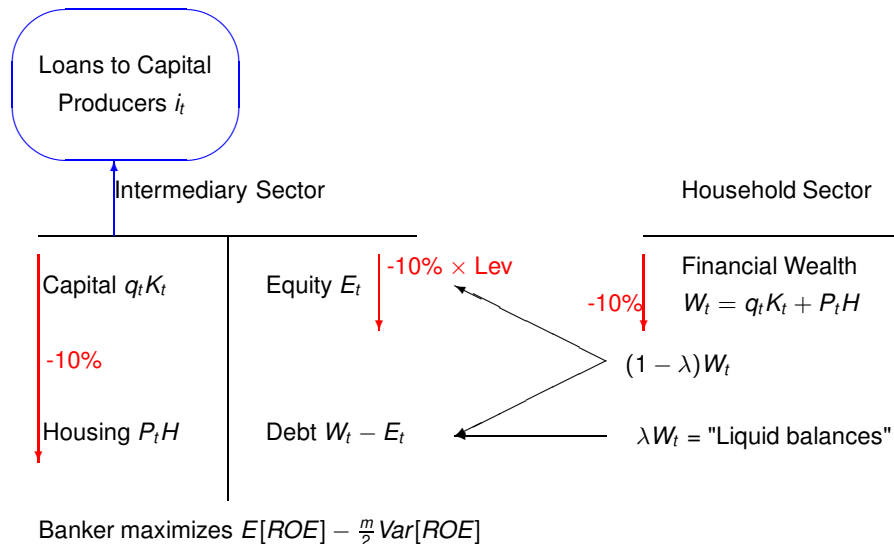


# Equity Matters





# Equity Dynamics in GE



# Equity Constraint

Loans to Capital Producers  $i_t$

Intermediary Sector

Capital  $q_t K_t$

Housing  $P_t H$

Equity  $E_t$

Debt  $W_t - E_t$

Aggregate intermediary equity constraint  $\mathcal{E}_t$   
 $\frac{d\mathcal{E}_t}{\mathcal{E}_t} = m \times \text{ROE}$ , ROE is endogenous

Household Sector

Financial Wealth  
 $W_t = q_t K_t + P_t H$

$(1 - \lambda) W_t$

$\lambda W_t$  = "Liquid balances"

Constraint:  $E_t \leq \mathcal{E}_t$

No constraint

Banker maximizes  $E[\text{ROE}] - \frac{m}{2} \text{Var}[\text{ROE}]$

## Equity constraint: $\epsilon_t$

- Bank can raise equity upto  $\epsilon_t$  at zero cost
- Cost of raising equity more than  $\epsilon_t$  is infinite.
- $\epsilon_t$  linked to intermediary performance (constant  $m$ )

$$\frac{d\epsilon_t}{\epsilon_t} = m d\tilde{R}_t.$$

## Equity constraint: $\epsilon_t$

- Bank can raise equity upto  $\epsilon_t$  at zero cost
- Cost of raising equity more than  $\epsilon_t$  is infinite.
- $\epsilon_t$  linked to intermediary performance (constant  $m$ )

$$\frac{d\epsilon_t}{\epsilon_t} = m d\tilde{R}_t.$$

- ▶ **Poor returns reduce "reputation"**: Berk-Green, 04; flow-performance relationship, Warther 95; Chevalier-Ellison, 97
- ▶ Or,  $\epsilon_t$  as banker's **"net worth"** fluctuating with past returns
  - ★ Kiyotaki-Moore 97, He-Krishnamurthy 12, Brunnermeier-Sannikov 12

## Equity constraint: $\epsilon_t$

- Bank can raise equity upto  $\epsilon_t$  at zero cost
- Cost of raising equity more than  $\epsilon_t$  is infinite.
- $\epsilon_t$  linked to intermediary performance (constant  $m$ )

$$\frac{d\epsilon_t}{\epsilon_t} = m d\tilde{R}_t.$$

- ▶ **Poor returns reduce “reputation”**: Berk-Green, 04; flow-performance relationship, Warther 95; Chevalier-Ellison, 97
- ▶ Or,  $\epsilon_t$  as banker’s **“net worth”** fluctuating with past returns
  - ★ Kiyotaki-Moore 97, He-Krishnamurthy 12, Brunnermeier-Sannikov 12
- Aggregate dynamics of  $\mathcal{E}_t = \int \epsilon_t$

$$\frac{d\mathcal{E}_t}{\mathcal{E}_t} = m d\tilde{R}_t - \eta dt + d\psi_t$$

- Exogenous death rate  $\eta$ . Endogenous entry  $d\psi_t > 0$  of new bankers in extreme bad states

## Equity Capital Constraint

- Representative household with  $W_t$ , split between bonds (at least)  $\lambda W_t$  and equity (at most)  $(1 - \lambda)W_t$
- Benchmark capital structure:  $\lambda W_t$  of Debt,  $(1 - \lambda)W_t$  of Equity
  - ▶ if there is no capital constraint ( $\mathcal{E}_t$  is infinite)...

## Equity Capital Constraint

- Representative household with  $W_t$ , split between bonds (at least)  $\lambda W_t$  and equity (at most)  $(1 - \lambda)W_t$
- Benchmark capital structure:  $\lambda W_t$  of Debt,  $(1 - \lambda)W_t$  of Equity
  - ▶ if there is no capital constraint ( $\mathcal{E}_t$  is infinite)...
- Intermediary equity capital:

$$E_t = \min [\mathcal{E}_t, (1 - \lambda)W_t]$$

- Suppose a  $-10\%$  shock to real estate and price of capital:
- $W_t \downarrow 10\%$  (Household wealth = aggregate wealth)
- Reputation:  $\frac{d\mathcal{E}_t}{\mathcal{E}_t} = m d\tilde{R}_t + \dots$  Two forces make  $\mathcal{E}_t \downarrow$  more than  $10\%$ :
  - 1 Return on equity =  $d\tilde{R}_t < -10\%$ : equity is levered claim on assets
  - 2  $m > 1$  in our calibration

## Single Bank/Banker Choice of Portfolio and Leverage

Capital $q_t k_t$	$equity_t$
Housing $P_t h_t$	$debt_t$

Portfolio share in capital:  $\alpha_t^k = \frac{q_t k_t}{equity_t}$

Portfolio share in housing :  $\alpha_t^h = \frac{P_t h_t}{equity_t}$

Borrowing (no constraint):  $debt_t = q_t k_t + P_t h_t - equity_t = (\alpha_t^k + \alpha_t^h - 1)equity_t$



## Bank Choice of Portfolio and Leverage

Capital $q_t k_t$	$equity_t$
Housing $P_t h_t$	$debt_t$

Portfolio share in capital:  $\alpha_t^k = \frac{q_t k_t}{equity_t}$

Portfolio share in housing:  $\alpha_t^h = \frac{P_t h_t}{equity_t}$

Borrowing (no constraint):  $debt_t = q_t k_t + P_t h_t - equity_t = (\alpha_t^k + \alpha_t^h - 1)equity_t$

Return on bank equity ROE:  $d\tilde{R}_t = \alpha_t^k dR_t^k + \alpha_t^h dR_t^h - (\alpha_t^k + \alpha_t^h - 1)r_t dt$

Banker (log preference) solves:  $\max_{\alpha_t^k, \alpha_t^h} \mathbb{E}_t[d\tilde{R}_t - r_t dt] - \frac{m}{2} \text{Var}_t[d\tilde{R}_t]$

# Bank Choice of Portfolio and Leverage

Capital $q_t k_t$	$equity_t$
Housing $P_t h_t$	$debt_t$

## Properties

- $(k, h)$  scales with  $equity$
- $(k, h)$  increasing in  $\mathbb{E}_t[d\tilde{R}_t - r_t dt]$
- $(k, h)$  decreasing in  $Var_t[d\tilde{R}_t]$

Portfolio share in capital:  $\alpha_t^k = \frac{q_t k_t}{equity_t}$

Portfolio share in housing:  $\alpha_t^h = \frac{P_t h_t}{equity_t}$

Borrowing (no constraint):  $debt_t = q_t k_t + P_t h_t - equity_t = (\alpha_t^k + \alpha_t^h - 1)equity_t$

Return on bank equity ROE:  $d\tilde{R}_t = \alpha_t^k dR_t^k + \alpha_t^h dR_t^h - (\alpha_t^k + \alpha_t^h - 1)r_t dt$

Banker (log preference) solves:  $\max_{\alpha_t^k, \alpha_t^h} \mathbb{E}_t[d\tilde{R}_t - r_t dt] - \frac{m}{2} Var_t[d\tilde{R}_t]$ ;  $m$  parameter

# General Equilibrium

Intermediary Sector

Household Sector

Capital $q_t K_t$	Equity $E_t$	←	Financial Wealth
Housing $P_t H$	Debt $W_t - E_t$		$W_t = q_t K_t + P_t H$

Portfolio share in capital:  $\alpha_t^k = \frac{q_t K_t}{E_t} = \frac{q_t K_t}{\min[\varepsilon_t, (1-\lambda)W_t]}$

Portfolio share in housing:  $\alpha_t^h = \frac{P_t H}{E_t} = \frac{P_t H}{\min[\varepsilon_t, (1-\lambda)W_t]}$

- Given state  $(K_t, \varepsilon_t)$ , the equilibrium portfolio shares are pinned down by GE
- But portfolio shares must also be optimally chosen by banks, pinning down prices

$$\max_{\alpha_t^k, \alpha_t^h} \mathbb{E}_t[d\tilde{R}_t - r_t dt] - \frac{m}{2} \text{Var}_t[d\tilde{R}_t]$$

- Asset prices affect real side through investment  $(q_t)$

## General Equilibrium (2)

Intermediary Sector

Capital  $q_t K_t$

Housing  $P_t H$

Equity  $E_t$

Debt  $W_t - E_t$

Household Sector

Financial Wealth

$$W_t = q_t K_t + P_t H$$

Constraint:  $E_t \leq \mathcal{E}_t$

Portfolio share in capital:  $\alpha_t^k = \frac{q_t K_t}{E_t} = \frac{q_t K_t}{\min[\mathcal{E}_t, (1-\lambda)W_t]}$

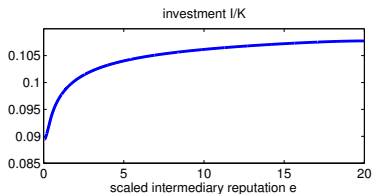
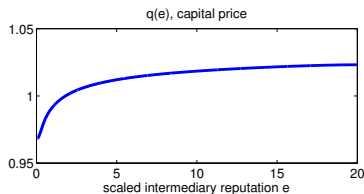
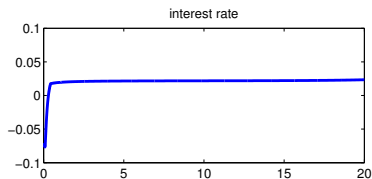
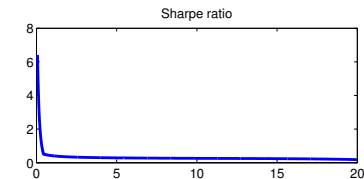
Portfolio share in housing:  $\alpha_t^h = \frac{P_t H}{E_t} = \frac{P_t H}{\min[\mathcal{E}_t, (1-\lambda)W_t]}$

- Prices (returns) have to adjust for optimality:
  - ▶  $\mathbb{E}_t[dR_t^h - r_t dt], \mathbb{E}_t[dR_t^k - r_t dt] \Rightarrow$  equations for  $\mathbb{E}_t[dP_t], \mathbb{E}_t[dq_t]$
- Rewrite to get Partial Differential Equations for  $P(K, \mathcal{E})$  and  $q(K, \mathcal{E})$
- Scale invariance: Define  $e \equiv \mathcal{E}/K$ ; then  $P = Kp(e)$  and  $q(e)$ , PDEs become ODEs

## Calibration: Baseline Parameters

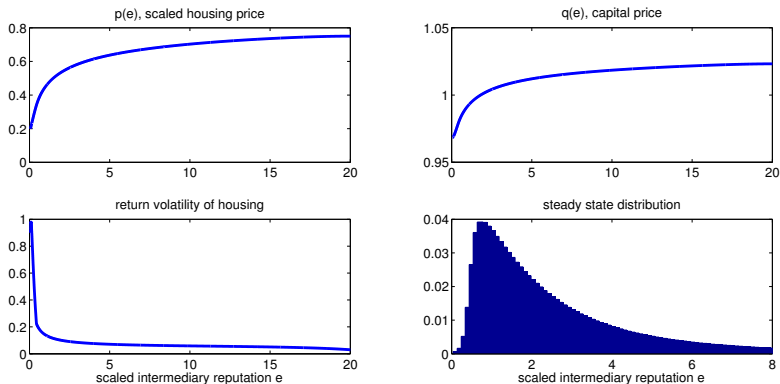
Parameter	Choice	Targets (Unconditional)	
Panel A: Intermediation			
$m$	Performance sensitivity	2	Average Sharpe ratio (model=38%)
$\lambda$	Debt ratio	0.67	Average intermediary leverage
$\eta$	Banker exit rate	13%	Prob. of crisis (model,data = 3%)
$\gamma$	Entry trigger	6.5	Highest Sharpe ratio
$\beta$	Entry cost	2.43	Average land price vol (model,data=14%)
Panel B: Technology			
$\sigma$	Capital quality shock	3%	Consumption volatility (model=1.4%) Note: Model investment vol = 4.5%
$\delta$	Depreciation rate	10%	Literature
$\kappa$	Adjustment cost	3	Literature
$A$	Productivity	0.133	Average investment-to-capital ratio
Panel C: Others			
$\rho$	Time discount rate	2%	Literature
$\xi$	1/EIS	0.15	Interest rate volatility
$\phi$	Housing share	0.5	Housing-to-wealth ratio

## Results(1): State variable is $e_t = \mathcal{E}_t/K_t$



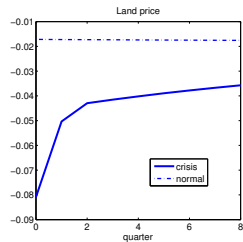
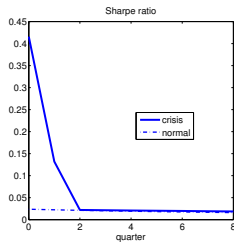
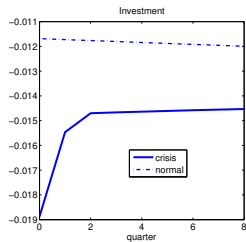
- Capital constraint binds for  $e < 0.435$

## Results(2)



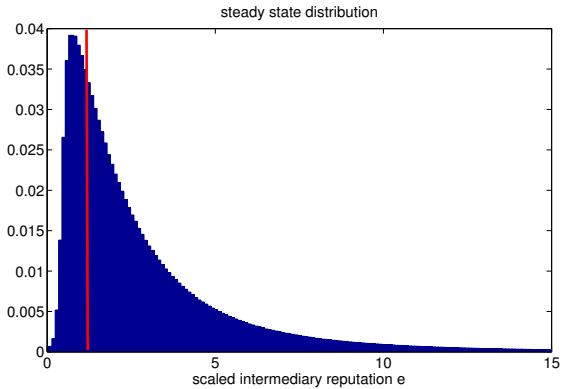
- Capital constraint binds for  $e < 0.435$
- Without the possibility of the capital constraint, all of these lines would be flat. Model dynamics would be i.i.d., with  $\text{vol}=3\%$ . Endogenously time-varying “uncertainty.”

# State-dependent Impulse Response: -1% Shock ( $= \sigma dZ_t$ ) ▶ VARdata





# Steady State Distribution



## Nonlinearities in Model and Data

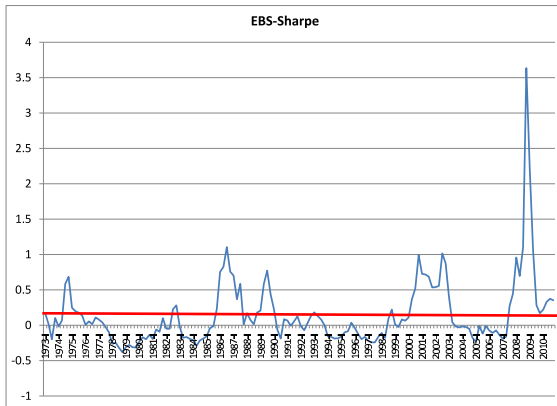
### Model:

- Distress states = worst 33% of realizations of  $e$  ( $e < 1.27$ )
- Compute **conditional** variances, covariances of intermediary equity growth with other key variables

### Data:

- Distress states = worst 33% of realizations of (risk premium in) credit spread
  - ▶ We use Gilchrist-Zakrajsek (2011) Excess Bond Premium, which we convert to a Sharpe ratio
  - ▶ Excess Bond Premium: risk premium of corporate bonds, presumably reflects distress of financial sector
  - ▶ Similar results if using NBER recessions
- Compute **conditional** variances, covariances of intermediary equity growth with other key variables

# EBS time series

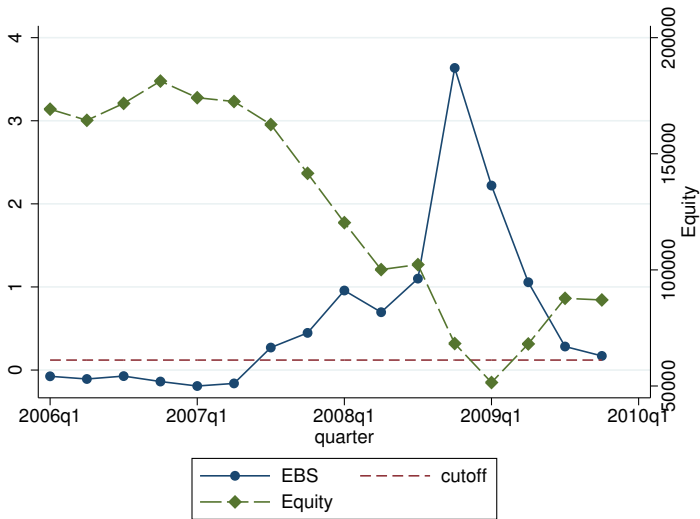


## Matching State-Dependent Covariances

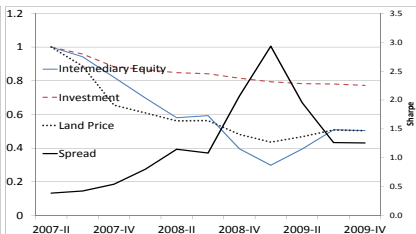
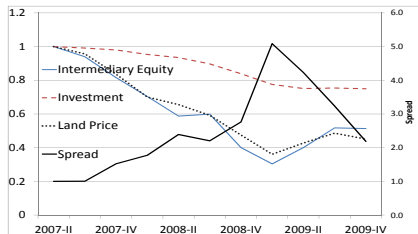
	Distress		Non Distress	
	Data	Baseline	Data	Baseline
$vol(Eq)$	31.48%	34.45	17.54	5.4
$vol(I)$	8.05%	5.30	6.61	4.2
$vol(C)$	1.71%	3.54	1.28	1.19
$vol(LP)$	21.24%	21.04	9.79	9.24
$vol(EB)$	60.14%	74.20	12.72	7.97
$cov(Eq, I)$	1.31%	1.05	0.07	0.23
$cov(Eq, C)$	0.25%	-0.96	0.03	-0.05
$cov(Eq, LP)$	4.06%	5.87	0.12	0.5
$cov(Eq, EB)$	-6.81%	-14.95	-0.14	-0.13

- Note: without the capital constraint, all volatilities would be 3%, and have no state dependence.
- What we do badly on: Output vol is locally  $\sigma$  because  $Y_t = AK_t$ . Financial friction only affects split between I and C.

# Matching the 2007-2009 Crisis



## Matching Recent Crisis: *Data(L)* and *Model(R)*



- Based on EBS classification, economy crossed the 33% boundary ( $e = 1.27$ ) between 2007Q2 and 2007Q3. Assume  $e = 1.27$  in 2007Q2.
- Then choose  $(Z_{t+1} - Z_t)$  shocks to match realized intermediary equity series.

07QIII	07QIV	08QI	08QII	08QIII	08QIV	09QI	09QII	09QIII	09QIV
-2.5%	-4.2	-1.1	-1.1	-0.7	-1.6	-1.8	-1.8	-0.9	-0.9

- ▶ Total -15.5%. Capital constraint binds after 07Q4—systemic risk state
- ▶ In the model (data), land price falls by 50% (55%)
- ▶ In the model (data), investment falls by 23% (25%)

## Summary

- Capital constraint drives risk premia and aggregate investment
- Effects are non-linear
- Non-linearity can match important data moments

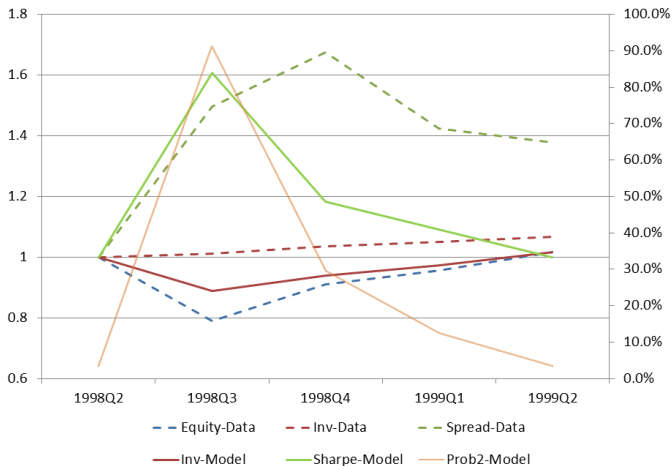
# Summary

- Capital constraint drives risk premia and aggregate investment
- Effects are non-linear
- Non-linearity can match important data moments

Open questions...



## 1998 LTCM Crisis



- No passthrough to real sector (red dashed line).
- 1987 Stock Market Crash. 2005 GM/Ford downgrade and CDS.

## Financial and Real Shocks

- Financial shocks have real effects sometimes, but not all the time.
- 1987,1998: Is it adequate policy response?
- Is it that the corporate sector is able to bypass the intermediary sector problems? ("triple-decker model")

- Financial shocks have real effects sometimes, but not all the time.
- 1987,1998: Is it adequate policy response?
- Is it that the corporate sector is able to bypass the intermediary sector problems? ("triple-decker model")
- Note that models are clear on when real shocks have financial amplifier effects: It depends on intermediary capital state variable.

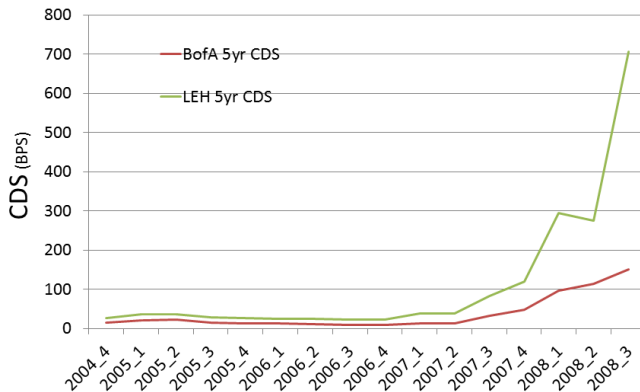
## Financial and Real Variables (from Krishnamurthy-Muir)

### Financial Crises

Outcome variable	Mean	Median	Std Dev	10th	90th
Duration (GDP)	<b>5.9</b>	<b>4.0</b>	5.6	1	15
Spread Duration	<b>3.1</b>	<b>1.0</b>	3.6	0	10

- Financial variables settle back more quickly than real variables.
- Two state variables...

## CDS and Build-up



## Forecasting Crises (from Krishnamurthy-Muir)

$depth_{i,t} = \alpha + b \times spread_{i,t} + \varepsilon_{i,t}$					
ST Dates	$b$	se(b)	$\sigma(b \times spread_{i,t})$	Adj $R^2$	N
All	-0.76	0.26	7.8	27%	23
No Depression	-1.24	0.25	5.3	61%	16

RR Dates	$b$	se(b)	$\sigma(b \times spread_{i,t})$	Adj $R^2$	N
All	-1.32	0.14	8.6	87%	15
No Depression	-1.39	0.20	6.7	78%	13

- $depth_{i,t}$  = Peak to trough decline in GDP
- $spread_{i,t}$  = corporate bond spread once crisis starts
- ST=Schularick-Taylor; RR = Reinhart-Rogoff

## Forecasting Crises (from Krishnamurthy-Muir)

$depth_{i,t} = \alpha + b \times spread_{i,t} + \varepsilon_{i,t}$					
ST Dates	$b$	se(b)	$\sigma(b \times spread_{i,t})$	AdjR <sup>2</sup>	N
All	-0.76	0.26	7.8	27%	23
No Depression	-1.24	0.25	5.3	61%	16

$depth_{i,t} = \alpha + b \times spread_{i,t} + \varepsilon_{i,t}$					
RR Dates	$b$	se(b)	$\sigma(b \times spread_{i,t})$	AdjR <sup>2</sup>	N
All	-1.32	0.14	8.6	87%	15
No Depression	-1.39	0.20	6.7	78%	13

- $depth_{i,t}$  = Peak to trough decline in GDP
- $spread_{i,t}$  = corporate bond spread once crisis starts
- ST=Schularick-Taylor; RR = Reinhart-Rogoff

$$spread_{i,t} = 0.9 \times spread_{i,t-1} + u_t$$

All the action is in  $u_t$ . What is the shock?

## Conclusion

- Financial and real side are closely tied together in the data, especially in crises
- Models tie them together through shifting distribution of wealth
- Recent progress in stochastic models with variation in risk premia, asset prices, and macro outcomes
- Many open questions: financial and real shocks, multiple state variables, policy responses, shocks that cause crises



## Conclusion

- Financial and real side are closely tied together in the data, especially in crises
- Models tie them together through shifting distribution of wealth
- Recent progress in stochastic models with variation in risk premia, asset prices, and macro outcomes
- Many open questions: financial and real shocks, multiple state variables, policy responses, shocks that cause crises
- Monetary models: monetary policy shocks affects risk premia (Hanson-Stein 2013, Nakamura-Steinsson 2013, Drechsler-Savov-Schnabl, 2014)